

IUU Fishing: Economic Effects of IUU Imports on U.S. Commercial Fishers

Species: Albacore, bigeye, bluefin, skipjack, yellowfin, bonito, other/NEI tuna

Model Release

Read Me :

This model accompanies the USITC report, *Seafood Obtained via Illegal, Unreported, and Unregulated Fishing: U.S. Imports and Economic Impact on U.S. Commercial Fisheries*, Inv. 332-575. The report includes a quantitative analysis of the economic impact of IUU imports on U.S. commercial fishers and U.S. commercial fishing production, trade, and prices. Economic effects are modeled by species, with each species-level model customized to fit the unique features of the U.S. domestic industry. Consumers of seafood products choose between domestic marine-capture sources, imports, and in some models, domestic aquaculture products. Imports include both legal and IUU sources that enter the U.S. at the same price, so consumers cannot distinguish an IUU from non-IUU product. 2018 data is used to establish an initial equilibrium with imports of IUU products included in the baseline. The model then removes the IUU imports, as estimated in chapter 3, and solves for a new equilibrium absent those products.

In the tuna model, there are domestic and imported varieties of albacore, bigeye, bluefin, skipjack, yellowfin, bonito, and NEI tuna species. The model includes cross-species substitution, so relative price changes in one species affects the other species. Landings of some of the domestic varieties are potentially constrained by catch limits. There are two markets modeled: unprocessed and processed products. Landings flow to three destinations: the unprocessed market, the processed market, or are exported outside the country. The price of the processed product is a constant markup over the price of the unprocessed price index, so increases in prices of unprocessed fish affect the price of processing.

Data inputs in the simulation are in the BLUE-shaded cells (with sources for the input data listed in the cell above). Outputs are in the GREEN-shaded cells. The white cells are intermediate calculations.

This PDF is a printout of the Mathematica file "IUU Fishing Model - tuna - model release.nb"

In[1425]:= **ClearAll[f];**

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1. Model Parameters

1.1 Within-Species Elasticity of Substitution

Source: USITC's econometric estimation using the trade cost method in Riker (2020). More information can be found in the technical appendix (appendix I).

Unprocessed yellowfin: elasticity of substitution across varieties of unprocessed yellowfin

```
In[1426]:= sigmayu = 2.874731 ;
```

Unprocessed skipjack: elasticity of substitution across varieties of unprocessed skipjack

```
In[1427]:= sigmasu = 8.450249;
```

Unprocessed albacore: elasticity of substitution across varieties of unprocessed albacore

```
In[1428]:= sigmaau = 2.006154;
```

Unprocessed bigeye: elasticity of substitution across varieties of unprocessed bigeye

```
In[1429]:= sigmabu = 2.580973;
```

Unprocessed bluefin: elasticity of substitution across varieties of unprocessed bluefin

```
In[1430]:= sigmafu = 6.044084;
```

Unprocessed other/NEI tuna: elasticity of substitution across varieties of unprocessed other tuna

In[1431]:= **sigmaou = 2.006154;**

Unprocessed bonito: elasticity of substitution across varieties of unprocessed bonito

In[1432]:= **sigmanu = 8.450249;**

Processed yellowfin: elasticity of substitution across varieties of processed yellowfin

In[1433]:= **sigmayp = 2.874731 ;**

Processed skipjack: elasticity of substitution across varieties of processed skipjack

In[1434]:= **sigmasp = 8.450249;**

Processed albacore: elasticity of substitution across varieties of processed albacore

In[1435]:= **sigmaap = 2.006154;**

Processed bigeye: elasticity of substitution across varieties of processed bigeye

In[1436]:= **sigmabp = 2.580973;**

Processed bluefin: elasticity of substitution across varieties of processed bluefin

In[1437]:= **sigmafp = 6.044084;**

Processed other/NEI tuna: elasticity of substitution across varieties of processed other tuna

In[1438]:= **sigmaop = 2.006154;**

1.2 Cross-Species Elasticity of Substitution

Source: USITC Staff Estimate and Interviews with Industry Participants.

Unprocessed: elasticity of substitution across unprocessed products

In[1439]:= **betau = 3.0;**

Processed: elasticity of substitution across processed products

In[1440]:= **betap = 3.0;**

1.3 Industry Price Elasticity of Demand

Source: USITC Staff Estimate.

Unprocessed

```
In[1441]:= etau = -1.0;
```

Processed

```
In[1442]:= etap = -1.0;
```

1.4 Illegal Imports Replacement Rates

Source: USITC Staff Estimate. Further discussion on qualitative factors and rate determination can be found in appendix I of the USITC's report.

Yellowfin: fraction of illegal imports replaced by legal imports of yellowfin

```
In[1443]:= reply = 0.30;
```

Skipjack: fraction of illegal imports replaced by legal imports of skipjack

```
In[1444]:= repls = 0.50;
```

Albacore: fraction of illegal imports replaced by legal imports of albacore

```
In[1445]:= repla = 0.50;
```

Bigeye: fraction of illegal imports replaced by legal imports of bigeye

```
In[1446]:= replb = 0.30 ;
```

Bluefin: fraction of illegal imports replaced by legal imports of bluefin

```
In[1447]:= replf = 0.10;
```

Other/NEI tuna: fraction of illegal imports replaced by legal imports of other/NEI tuna

```
In[1448]:= replo = 0.30;
```

Bonito: fraction of illegal imports replaced by legal imports of bonito

```
In[1449]:= repln = 0.30 ;
```

1.5 Price Elasticity of Supply

Source: USITC Staff Estimate and Interviews with Industry Participants.

U.S. landings of yellowfin

```
In[1450]:= eyu = 5.0;
```

U.S. landings of skipjack

```
In[1451]:= esu = 5.0;
```

U.S. landings of albacore

```
In[1452]:= eau = 5.0;
```

U.S. landings of bigeye

```
In[1453]:= ebu = 2.0;
```

U.S. landings of bluefin

```
In[1454]:= efu = 2.0;
```

U.S. landings of other/NEI tuna

```
In[1455]:= eou = 5.0;
```

U.S. landings of bonito

```
In[1456]:= enu = 5.0;
```

2. Data Inputs

2.1 U.S. Landings Quantities and Prices

Source: National Oceanic and Atmospheric Administration. National Marine Fisheries Service (NOAA Fisheries). Fisheries of the United States 2018. Current Fishery Statistics No. 2018. U.S. Department of Commerce. Silver Spring MD: NOAA, February 2020. <https://www.fisheries.noaa.gov/resource/document/fisheries-united-states-2018-report>.

Yellowfin tuna

```
In[1457]:= qydu0 = 5,843,673.00 ; (*kg*)
```

```
In[1458]:= pydu0 = 6.1081; (*$/kg*)
```

Skipjack tuna

```
In[1459]:= qsdu0 = 1,448,384.00 ; (*kg*)
```

```
In[1460]:= psdu0 = 1.4963; (*$/kg*)
```

Albacore tuna

```
In[1461]:= qadu0 = 8,529,946.00 ; (*kg*)
```

```
In[1462]:= padu0 = 3.5245; (*$/kg*)
```

Bigeye tuna

```
In[1463]:= qbdu0 = 8,325,596.00; (*kg*)
```

```
In[1464]:= pbdu0 = 9.0050; (*$/kg*)
```

Bluefin tuna

```
In[1465]:= qfdu0 = 958,000.00; (*kg*)
```

```
In[1466]:= pfdu0 = 11.9081; (*$/kg*)
```

Other/NEI tuna

```
In[1467]:= qodu0 = 256,773.00; (*kg*)
```

```
In[1468]:= podu0 = 2.2614; (*$/kg*)
```

Bonito

```
In[1469]:= qndu0 = 696,000.00; (*kg*)
```

```
In[1470]:= pndu0 = 0.7888; (*$/kg*)
```

2.2 U.S. Processing Production Quantities and Prices

Sources:

National Oceanic and Atmospheric Administration. National Marine Fisheries Service (NOAA Fisheries). Fisheries of the United States 2018. Current Fishery Statistics No. 2018. U.S. Department of Commerce. Silver Spring MD: NOAA, February 2020. <https://www.fisheries.noaa.gov/resource/document/fisheries-united-states-2018-report>.

National Oceanic and Atmospheric Administration. National Marine Fisheries Service (NOAA Fisheries). NOAA Processed Products database. Accessed September 1, 2020. <https://www.fisheries.noaa.gov/foss/f?p=215:3:5412288074334::NO::>

Processed Yellowfin

```
In[1471]:= qydp0 = 18,470,202.00; (*kg*)
```

```
In[1472]:= pydp0 = 5.6637; (*$/kg*)
```

Processed Skipjack

```
In[1473]:= qsdp0 = 74,785,963.00; (*kg*)
```

In[1474]:= **psdp0 = 4.2374; (*\$/kg*)**

Processed Albacore

In[1475]:= **qadp0 = 67,028,892.00; (*kg*)**

In[1476]:= **padp0 = 6.0944; (*\$/kg*)**

Processed Bigeye

In[1477]:= **qbdp0 = 1,595,096.00; (*kg*)**

In[1478]:= **pbdp0 = 24.7219; (*\$/kg*)**

Processed Bluefin

In[1479]:= **qfdp0 = 714,906.00; (*kg*)**

In[1480]:= **pfdp0 = 28.9190; (*\$/kg*)**

Processed Other/NEI tuna

In[1481]:= **qodp0 = 1086.00; (*kg*)**

In[1482]:= **podp0 = 1.1543; (*\$/kg*)**

2.3 Import Quantities and Prices

Source: IUU Estimate Database as described in Chapter 3 of the report.

Yellowfin

Total unprocessed imports

In[1483]:= **qytu0 = 7,277,295; (*kg*)**

In[1484]:= **pytu0 = 6.10622; (*\$/kg*)**

Total processed imports

In[1485]:= **qytp0 = 52,839,763; (*kg*)**

In[1486]:= **pytp0 = 8.04508; (*\$/kg*)**

Illegal imports

```
In[1487]:= qyiu0 = 990,308; (*kg*)
```

```
In[1488]:= qyip0 = 7,064,729; (*kg*)
```

Skipjack

Total unprocessed imports

```
In[1489]:= qstu0 = 28,952,079; (*kg*)
```

```
In[1490]:= pstu0 = 5.7198; (*$/kg*)
```

Total processed imports

```
In[1491]:= qstp0 = 97,739,443; (*kg*)
```

```
In[1492]:= pstp0 = 4.70128; (*$/kg*)
```

Illegal imports

```
In[1493]:= qsiu0 = 2,630,579; (*kg*)
```

```
In[1494]:= qsip0 = 10,177,644; (*kg*)
```

Albacore

Total unprocessed imports

```
In[1495]:= qatu0 = 10,825,988; (*kg*)
```

```
In[1496]:= patu0 = 5.96477; (*$/kg*)
```

Total processed imports

```
In[1497]:= qatp0 = 36,456,957; (*kg*)
```

```
In[1498]:= patp0 = 6.27589; (*$/kg*)
```

Illegal imports

```
In[1499]:= qaiu0 = 1,649,831; (*kg*)
```

```
In[1500]:= qaip0 = 5,185,988; (*kg*)
```

Bigeye

Total unprocessed imports


```
In[1501]:= qbtu0 = 7,562,019; (*kg*)
```

```
In[1502]:= pbtu0 = 7.38661; (*$/kg*)
```

Total processed imports

```
In[1503]:= qbtp0 = 8,165,080; (*kg*)
```

```
In[1504]:= pbtp0 = 8.66838; (*$/kg*)
```

Illegal imports

```
In[1505]:= qbiu0 = 1,165,447; (*kg*)
```

```
In[1506]:= qbip0 = 1,393,667; (*kg*)
```

Bluefin

Total unprocessed imports

```
In[1507]:= qftu0 = 2,326,232; (*kg*)
```

```
In[1508]:= pftu0 = 21.2879; (*$/kg*)
```

Total processed imports

```
In[1509]:= qftp0 = 201,152; (*kg*)
```

```
In[1510]:= pftp0 = 13.509; (*$/kg*)
```

Illegal imports

```
In[1511]:= qfiu0 = 1,108,413; (*kg*)
```

```
In[1512]:= qfip0 = 52,704; (*kg*)
```

Other/NEI tuna

Total unprocessed imports

```
In[1513]:= qotu0 = 259,286; (*kg*)
```

```
In[1514]:= potu0 = 5.78741; (*$/kg*)
```

Total processed imports

```
In[1515]:= qotp0 = 981,188; (*kg*)
```

```
In[1516]:= potp0 = 8.0845; (*$/kg*)
```

Illegal imports

```
In[1517]:= qoiu0 = 46,462; (*kg*)
```

```
In[1518]:= qoip0 = 278,737; (*kg*)
```

Bonito

Total unprocessed imports

```
In[1519]:= qntu0 = 68,877; (*kg*)
```

```
In[1520]:= pntu0 = 3.2723; (*$/kg*)
```

Total processed imports

```
In[1521]:= qntp0 = 291,758; (*kg*)
```

```
In[1522]:= pntp0 = 5.6819; (*$/kg*)
```

Illegal imports

```
In[1523]:= qniu0 = 17,160; (*kg*)
```

```
In[1524]:= qnip0 = 72,084; (*kg*)
```

Calculation of legal imports

```
In[1525]:= qylu0 = qytu0 - qyiu0;
```

```
In[1526]:= qylp0 = qytp0 - qyip0;
```

```
In[1527]:= qslu0 = qstu0 - qsiu0;
```

```
In[1528]:= qslp0 = qstp0 - qsip0;
```

```
In[1529]:= qalu0 = qatu0 - qaiu0;
```

```
In[1530]:= qalp0 = qatp0 - qaip0;
```

```
In[1531]:= qblu0 = qbtu0 - qbiu0;
```

```
In[1532]:= qblp0 = qbtp0 - qbip0;
```

```
In[1533]:= qflu0 = qftu0 - qfiu0;
```

```
In[1534]:= qflp0 = qftp0 - qfip0;
```

ln[1535]:= **qolu0 = qotu0 - qoiu0;**

ln[1536]:= **qolp0 = qotp0 - qoip0;**

ln[1537]:= **qnlu0 = qntu0 - qniu0;**

ln[1538]:= **qnlp0 = qntp0 - qnip0;**

2.4 Export Quantities

Source: National Oceanic and Atmospheric Administration. National Marine Fisheries Service (NOAA Fisheries). NOAA US Trade in Fishery Products database. Accessed September 1, 2020. <https://foss.nmfs.noaa.gov/apexfoss/f?p=215:2:14884747663545::NO>

ln[1539]:= **qydue0 = 1,474,827.00; (*kg*)**

ln[1540]:= **qydpe0 = 0; (*kg*)**

ln[1541]:= **qsdue0 = 666,890.00; (*kg*)**

ln[1542]:= **qsdpe0 = 0; (*kg*)**

ln[1543]:= **qadue0 = 6,859,332.00; (*kg*)**

ln[1544]:= **qadpe0 = 0; (*kg*)**

ln[1545]:= **qbdue0 = 164,478.00; (*kg*)**

ln[1546]:= **qbdpe0 = 0; (*kg*)**

ln[1547]:= **qfdue0 = 548,749.00; (*kg*)**

ln[1548]:= **qfdpe0 = 0; (*kg*)**

ln[1549]:= **qodue0 = 0; (*kg*)**

ln[1550]:= **qodpe0 = 0; (*kg*)**

ln[1551]:= **qndue0 = 0; (*kg*)**

2.5 Catch Limits

Yellowfin tuna

No aggregate ACL available, inserted arbitrarily high limit so it doesn't affect calculation.

In[1552]:= **qydcap = 400,000,000; (*kg*)**

Skipjack tuna

No aggregate ACL available, inserted arbitrarily high limit so it doesn't affect calculation.

In[1553]:= **qsdcap = 400,000,000; (*kg*)**

Albacore tuna

No aggregate ACL available, inserted arbitrarily high limit so it doesn't affect calculation.

In[1554]:= **qadcap = 400,000,000; (*kg*)**

Bigeye tuna

Sources:

International Commission for the Conservation of Atlantic Tunas, "Tropical Tuna Fishery Management Plans," 2018, https://www.ic-cat.int/com2018/ENG/PA1_501_ENG.pdf.

"Electronic Code of Federal Regulations: Longline Fishing Restrictions," Text, Electronic Code of Federal Regulations (eCFR), accessed October 27, 2020, <https://www.ecfr.gov/cgi-bin/text-idx?c=ecfr&SID=c4a02d52df72fb2c44dab04d0a6684a7&rgn=div8&view=text&n-ode=50:11.0.2.11.1.15.21.15&idno=50>.

NOAA Fisheries, "Longline Bigeye Tuna Catch Limits in the Pacific," NOAA, August 13, 2019, Pacific Islands, International, <https://www.fisheries.noaa.gov/pacific-islands/sustainable-fisheries/longline-bigeye-tuna-catch-limits-pacific>.

"Pacific Island Pelagic Fisheries; 2018 U.S. Territorial Longline Bigeye Tuna Catch Limits," Federal Register, October 23, 2018, <https://www.federalregister.gov/documents/2018/10/23/2018-23080/pacific-island-pelagic-fisheries-2018-us-territorial-longline-bigeye-tuna-catch-limits>.

In[1555]:= **qbdcap = 11,879,000; (*kg*)**

Bluefin tuna

Sources:

National Marine Fisheries Service, "National Marine Fisheries Service Pacific Bluefin Stakeholder Meeting," May 19, 2020, <https://www.pcouncil.org/documents/2020/06/d-1-a-supplemental-nmfs-report-3.pdf/>.

Fisheries, "Atlantic Bluefin Tuna and Northern Albacore Quotas and Minor Change in Atlantic Tuna Size Limit," NOAA, August 10, 2020, New England/Mid-Atlantic, Southeast, <https://www.fisheries.noaa.gov/bulletin/atlantic-bluefin-tuna-and-northern-albacore-quotas-and-minor-change-atlantic-tuna-size>.

In[1556]:= **qfdcap = 1,878,000; (*kg*)**

Other/NEI tuna

No aggregate ACL available, inserted arbitrarily high limit so it doesn't affect calculation.

In[1557]:= **qodcap = 400,000,000; (*kg*)**

Bonito

No aggregate ACL available, inserted arbitrarily high limit so it doesn't affect calculation.

```
In[1558]:= qndcap = 400,000,000; (*kg*)
```

2.6 Import Market Share Statistics

```
In[1559]:= N[qatu0 / (qatu0 + qadu0 - qadue0)]
```

```
Out[1559]= 0.866315
```

```
In[1560]:= N[qbtu0 / (qbtu0 + qbdu0 - qbdue0)]
```

```
Out[1560]= 0.480948
```

```
In[1561]:= N[qftu0 / (qftu0 + qfdu0 - qfdue0)]
```

```
Out[1561]= 0.850392
```

```
In[1562]:= N[qstu0 / (qstu0 + qsdu0 - qsdue0)]
```

```
Out[1562]= 0.973717
```

```
In[1563]:= N[qytu0 / (qytu0 + qydu0 - qydue0)]
```

```
Out[1563]= 0.624867
```

```
In[1564]:= N[qntu0 / (qntu0 + qndu0 - qndue0)]
```

```
Out[1564]= 0.0900498
```

```
In[1565]:= N[qatp0 / (qatp0 + qadp0 - qadpe0)]
```

```
Out[1565]= 0.352289
```

```
In[1566]:= N[qbtp0 / (qbtp0 + qbdp0 - qbdpe0)]
```

```
Out[1566]= 0.836571
```

```
In[1567]:= N[qftp0 / (qftp0 + qfdp0 - qfdpe0)]
```

```
Out[1567]= 0.219584
```

```
In[1568]:= N[qstp0 / (qstp0 + qsdp0 - qsdpe0)]
```

```
Out[1568]= 0.566522
```

```
In[1569]:= N[qytp0 / (qytp0 + qydp0 - qydpe0)]
```

```
Out[1569]= 0.740987
```

3. Calibration

```
In[1570]:= vytu0 = qytu0 pytu0;
```

```
In[1571]:= vytp0 = qytp0 pytp0;
```

ln[1572]:= **vstu0** = qstu0 pstu0;

ln[1573]:= **vstp0** = qstp0 pstp0;

ln[1574]:= **vatu0** = qatu0 patu0;

ln[1575]:= **vatp0** = qatp0 patp0;

ln[1576]:= **vbtu0** = qbtu0 pbtu0;

ln[1577]:= **vbtp0** = qbtp0 pbtp0;

ln[1578]:= **vftu0** = qftu0 pftu0;

ln[1579]:= **vftp0** = qftp0 pftp0;

ln[1580]:= **votu0** = qotu0 potu0;

ln[1581]:= **votp0** = qotp0 potp0;

ln[1582]:= **vntu0** = qntu0 pntu0;

ln[1583]:= **vntp0** = qntp0 pntp0;

ln[1584]:= **vydu0** = (qydu0 - qydue0) pydu0;

ln[1585]:= **vydp0** = (qydp0 - qydpe0) pydp0;

ln[1586]:= **vsdu0** = (qsdu0 - qsdu0) psdu0;

ln[1587]:= **vsdp0** = (qsdp0 - qsdpe0) psdp0;

ln[1588]:= **vadu0** = (qadu0 - qadue0) padu0;

ln[1589]:= **vadp0** = (qadp0 - qadpe0) padp0;

ln[1590]:= **vbdu0** = (qbdu0 - qbdu0) pbdu0;

ln[1591]:= **vbdp0** = (qbdp0 - qbdpe0) pbdp0;

ln[1592]:= **vfdu0** = (qfdu0 - qfdu0) pfdu0;

ln[1593]:= **vfdp0** = (qfdp0 - qfdpe0) pfdp0;

ln[1594]:= **vodu0** = (qodu0 - qodu0) podu0;

ln[1595]:= **vodp0** = (qodp0 - qodpe0) podp0;

ln[1596]:= **vndu0** = (qndu0 - qndue0) pndu0;

ln[]:= 3.1 Supply Parameters

ln[1597]:= **eydu** = $N\left[eyu \frac{qydu0}{(qydcap - qydu0)}\right];$

ln[1598]:= **aydu** = (qydcap - qydu0) pydu0^{eydu};

ln[1599]:= **esdu** = $N\left[esu \frac{qsdu0}{(qsdcap - qsdu0)}\right];$

$$\ln[1600]:= \text{asdu} = (\text{qsdcap} - \text{qsdu}\theta) \text{psdu}\theta^{\text{esdu}};$$

$$\ln[1601]:= \text{eadu} = N\left[\text{eau} \frac{\text{qadu}\theta}{(\text{qadcap} - \text{qadu}\theta)}\right];$$

$$\ln[1602]:= \text{aadu} = (\text{qadcap} - \text{qadu}\theta) \text{padu}\theta^{\text{eadu}};$$

$$\ln[1603]:= \text{ebdu} = N\left[\text{ebu} \frac{\text{qbdu}\theta}{(\text{qbdcap} - \text{qbdu}\theta)}\right];$$

$$\ln[1604]:= \text{abdu} = (\text{qbdcap} - \text{qbdu}\theta) \text{pbdu}\theta^{\text{ebdu}};$$

$$\ln[1605]:= \text{efdu} = N\left[\text{efu} \frac{\text{qfdu}\theta}{(\text{qfdcap} - \text{qfdu}\theta)}\right];$$

$$\ln[1606]:= \text{afdu} = (\text{qfdcap} - \text{qfdu}\theta) \text{pfdu}\theta^{\text{efdu}};$$

$$\ln[1607]:= \text{eodu} = N\left[\text{eou} \frac{\text{qodu}\theta}{(\text{qodcap} - \text{qodu}\theta)}\right];$$

$$\ln[1608]:= \text{aodu} = (\text{qodcap} - \text{qodu}\theta) \text{podu}\theta^{\text{eodu}};$$

$$\ln[1609]:= \text{endu} = N\left[\text{enu} \frac{\text{qndu}\theta}{(\text{qndcap} - \text{qndu}\theta)}\right];$$

$$\ln[1610]:= \text{andu} = (\text{qndcap} - \text{qndu}\theta) \text{pndu}\theta^{\text{endu}};$$

3.2 Demand Parameters

$$\ln[1611]:= \text{bytu} = \frac{\text{vytu}\theta}{\text{vydu}\theta} \left(\frac{\text{pytu}\theta}{\text{pydu}\theta}\right)^{\text{sigmayu}-1};$$

$$\ln[1612]:= \text{Pyu}\theta = (\text{pydu}\theta^{1-\text{sigmayu}} + \text{bytu} \text{pytu}\theta^{1-\text{sigmayu}})^{\frac{1}{1-\text{sigmayu}}};$$

$$\ln[1613]:= \text{bstu} = \frac{\text{vstu}\theta}{\text{vsdu}\theta} \left(\frac{\text{pstu}\theta}{\text{psdu}\theta}\right)^{\text{sigmasu}-1};$$

$$\ln[1614]:= \text{Psu}\theta = (\text{psdu}\theta^{1-\text{sigmasu}} + \text{bstu} \text{pstu}\theta^{1-\text{sigmasu}})^{\frac{1}{1-\text{sigmasu}}};$$

$$\ln[1615]:= \text{batu} = \frac{\text{vatu}\theta}{\text{vadu}\theta} \left(\frac{\text{patu}\theta}{\text{padu}\theta}\right)^{\text{sigmaau}-1};$$

$$\ln[1616]:= \text{Pau}\theta = (\text{padu}\theta^{1-\text{sigmaau}} + \text{batu} \text{patu}\theta^{1-\text{sigmaau}})^{\frac{1}{1-\text{sigmaau}}};$$

$$\ln[1617]:= \text{bbtu} = \frac{\text{vbtu}\theta}{\text{vbdu}\theta} \left(\frac{\text{pbtu}\theta}{\text{pbdu}\theta}\right)^{\text{sigmabu}-1};$$

$$\ln[1618]:= \text{Pbu}\theta = (\text{pbdu}\theta^{1-\text{sigmabu}} + \text{bbtu} \text{pbtu}\theta^{1-\text{sigmabu}})^{\frac{1}{1-\text{sigmabu}}};$$

$$\ln[1619]:= \text{bftu} = \frac{\text{vftu}\theta}{\text{vfdu}\theta} \left(\frac{\text{pftu}\theta}{\text{pfdu}\theta}\right)^{\text{sigmafufu}-1};$$

$$\ln[1620]:= \text{Pfu}\theta = (\text{pfdu}\theta^{1-\text{sigmafufu}} + \text{bftu} \text{pftu}\theta^{1-\text{sigmafufu}})^{\frac{1}{1-\text{sigmafufu}}};$$

$$\ln[1621]:= \text{botu} = \frac{\text{votu}\theta}{\text{vodu}\theta} \left(\frac{\text{potu}\theta}{\text{podu}\theta} \right)^{\text{sigmaou}-1};$$

$$\ln[1622]:= \text{Pou}\theta = \left(\text{podu}\theta^{1-\text{sigmaou}} + \text{botu} \text{potu}\theta^{1-\text{sigmaou}} \right)^{\frac{1}{1-\text{sigmaou}}};$$

$$\ln[1623]:= \text{bntu} = \frac{\text{vntu}\theta}{\text{vndu}\theta} \left(\frac{\text{pntu}\theta}{\text{pndu}\theta} \right)^{\text{sigmanu}-1};$$

$$\ln[1624]:= \text{Pnu}\theta = \left(\text{pndu}\theta^{1-\text{sigmanu}} + \text{bntu} \text{pntu}\theta^{1-\text{sigmanu}} \right)^{\frac{1}{1-\text{sigmanu}}};$$

$$\ln[1625]:= \text{bsu} = \frac{\text{vsdu}\theta + \text{vstu}\theta}{\text{vydu}\theta + \text{vytu}\theta} \left(\frac{\text{Psu}\theta}{\text{Pyu}\theta} \right)^{\text{betau}-1};$$

$$\ln[1626]:= \text{bau} = \frac{\text{vadu}\theta + \text{vatu}\theta}{\text{vydu}\theta + \text{vytu}\theta} \left(\frac{\text{Pau}\theta}{\text{Pyu}\theta} \right)^{\text{betau}-1};$$

$$\ln[1627]:= \text{bou} = \frac{\text{vodu}\theta + \text{votu}\theta}{\text{vydu}\theta + \text{vytu}\theta} \left(\frac{\text{Pou}\theta}{\text{Pyu}\theta} \right)^{\text{betau}-1};$$

$$\ln[1628]:= \text{bnu} = \frac{\text{vndu}\theta + \text{vntu}\theta}{\text{vydu}\theta + \text{vytu}\theta} \left(\frac{\text{Pnu}\theta}{\text{Pyu}\theta} \right)^{\text{betau}-1};$$

$$\ln[1629]:= \text{bfu} = \frac{\text{vfdu}\theta + \text{vftu}\theta}{\text{vbdu}\theta + \text{vbtu}\theta} \left(\frac{\text{Pfu}\theta}{\text{Pbu}\theta} \right)^{\text{betau}-1};$$

$$\ln[1630]:= \text{P1u}\theta = \left(\text{Pyu}\theta^{1-\text{betau}} + \text{bsu} \text{Psu}\theta^{1-\text{betau}} + \text{bau} \text{Pau}\theta^{1-\text{betau}} + \text{bou} \text{Pou}\theta^{1-\text{betau}} + \text{bnu} \text{Pnu}\theta^{1-\text{betau}} \right)^{\frac{1}{1-\text{betau}}};$$

$$\ln[1631]:= \text{P2u}\theta = \left(\text{Pbu}\theta^{1-\text{betau}} + \text{bfu} \text{Pfu}\theta^{1-\text{betau}} \right)^{\frac{1}{1-\text{betau}}};$$

$$\ln[1632]:= \text{bytp} = \frac{\text{vytp}\theta}{\text{vydp}\theta} \left(\frac{\text{pytp}\theta}{\text{pydp}\theta} \right)^{\text{sigmayp}-1};$$

$$\ln[1633]:= \text{Pyp}\theta = \left(\text{pydp}\theta^{1-\text{sigmayp}} + \text{bytp} \text{pytp}\theta^{1-\text{sigmayp}} \right)^{\frac{1}{1-\text{sigmayp}}};$$

$$\ln[1634]:= \text{bstp} = \frac{\text{vstp}\theta}{\text{vsdp}\theta} \left(\frac{\text{pstp}\theta}{\text{psdp}\theta} \right)^{\text{sigmasp}-1};$$

$$\ln[1635]:= \text{Psp}\theta = \left(\text{psdp}\theta^{1-\text{sigmasp}} + \text{bstp} \text{pstp}\theta^{1-\text{sigmasp}} \right)^{\frac{1}{1-\text{sigmasp}}};$$

$$\ln[1636]:= \text{batp} = \frac{\text{vatp}\theta}{\text{vadp}\theta} \left(\frac{\text{patp}\theta}{\text{padp}\theta} \right)^{\text{sigmaap}-1};$$

$$\ln[1637]:= \text{Pap}\theta = \left(\text{padp}\theta^{1-\text{sigmaap}} + \text{batp} \text{patp}\theta^{1-\text{sigmaap}} \right)^{\frac{1}{1-\text{sigmaap}}};$$

$$\ln[1638]:= \text{bbtp} = \frac{\text{vbtp}\theta}{\text{vbdp}\theta} \left(\frac{\text{pbtp}\theta}{\text{pbdp}\theta} \right)^{\text{sigmabp}-1};$$

$$\ln[1639]:= \text{Pbp}\theta = \left(\text{pbdp}\theta^{1-\text{sigmabp}} + \text{bbtp} \text{pbtp}\theta^{1-\text{sigmabp}} \right)^{\frac{1}{1-\text{sigmabp}}};$$

$$\ln[1640]:= \text{bftp} = \frac{\text{vftp}\theta}{\text{vfdp}\theta} \left(\frac{\text{pftp}\theta}{\text{pfdp}\theta} \right)^{\text{sigmafp}-1};$$

$$\ln[1641]:= \text{Pfp}\theta = \left(\text{pfdp}\theta^{1-\text{sigmafp}} + \text{bftp} \text{pftp}\theta^{1-\text{sigmafp}} \right)^{\frac{1}{1-\text{sigmafp}}};$$

$$\ln[1642]:= \text{botp} = \frac{\text{votp}\theta}{\text{vodp}\theta} \left(\frac{\text{potp}\theta}{\text{podp}\theta} \right)^{\text{sigmaop}-1};$$

$$\ln[1643]:= \text{Pop}\theta = \left(\text{podp}\theta^{1-\text{sigmaop}} + \text{botp} \text{potp}\theta^{1-\text{sigmaop}} \right)^{\frac{1}{1-\text{sigmaop}}};$$

$$\ln[1644]:= \text{bsp} = \frac{\text{vsdp}\theta + \text{vstp}\theta}{\text{vydp}\theta + \text{vytp}\theta} \left(\frac{\text{Psp}\theta}{\text{Pyp}\theta} \right)^{\text{betap}-1};$$

$$\ln[1645]:= \text{bap} = \frac{\text{vadp}\theta + \text{vatp}\theta}{\text{vydp}\theta + \text{vytp}\theta} \left(\frac{\text{Pap}\theta}{\text{Pyp}\theta} \right)^{\text{betap}-1};$$

$$\ln[1646]:= \text{bop} = \frac{\text{vodp}\theta + \text{votp}\theta}{\text{vydp}\theta + \text{vytp}\theta} \left(\frac{\text{Pop}\theta}{\text{Pyp}\theta} \right)^{\text{betap}-1};$$

$$\ln[1647]:= \text{bnp} = \frac{\text{vntp}\theta}{\text{vydp}\theta + \text{vytp}\theta} \left(\frac{\text{pntp}\theta}{\text{Pyp}\theta} \right)^{\text{betap}-1};$$

$$\ln[1648]:= \text{bfp} = \frac{\text{vfdp}\theta + \text{vftp}\theta}{\text{vbdp}\theta + \text{vbtp}\theta} \left(\frac{\text{Pfp}\theta}{\text{Pbp}\theta} \right)^{\text{betap}-1};$$

$$\ln[1649]:= \text{P1p}\theta = \left(\text{Pyp}\theta^{1-\text{betap}} + \text{bsp} \text{Psp}\theta^{1-\text{betap}} + \text{bap} \text{Pap}\theta^{1-\text{betap}} + \text{bop} \text{Pop}\theta^{1-\text{betap}} + \text{bnp} \text{pntp}\theta^{1-\text{betap}} \right)^{\frac{1}{1-\text{betap}}};$$

$$\ln[1650]:= \text{P2p}\theta = \left(\text{Pbp}\theta^{1-\text{betap}} + \text{bfp} \text{Pfp}\theta^{1-\text{betap}} \right)^{\frac{1}{1-\text{betap}}};$$

$$\ln[1651]:= \text{ku1} = \frac{\text{qytu}\theta \text{P1u}\theta^{-\text{etau}-\text{betau}} \text{pyu}\theta^{\text{betau}-\text{sigmayu}} \text{pytu}\theta^{\text{sigmayu}}}{\text{bytu}};$$

$$\ln[1652]:= \text{ku2} = \frac{\text{qbtu}\theta \text{P2u}\theta^{-\text{etau}-\text{betau}} \text{pbu}\theta^{\text{betau}-\text{sigmabu}} \text{pbtu}\theta^{\text{sigmabu}}}{\text{bbtu}};$$

$$\ln[1653]:= \text{kp1} = \frac{\text{qytp}\theta \text{P1p}\theta^{-\text{etap}-\text{betap}} \text{Pyp}\theta^{\text{betap}-\text{sigmayp}} \text{pytp}\theta^{\text{sigmayp}}}{\text{bytp}};$$

$$\ln[1654]:= \text{kp2} = \frac{\text{qbtpp}\theta \text{P2p}\theta^{-\text{etap}-\text{betap}} \text{Pbp}\theta^{\text{betap}-\text{sigmabp}} \text{pbtp}\theta^{\text{sigmabp}}}{\text{bbtp}};$$

4. New Equilibrium Calculation

$$\ln[1655]:= \text{Pyu} = \left(\text{pydu}^{1-\text{sigmayu}} + \text{bytu} \text{pytu}^{1-\text{sigmayu}} \right)^{\frac{1}{1-\text{sigmayu}}};$$

$$\ln[1656]:= \text{Psu} = \left(\text{psdu}^{1-\text{sigmasu}} + \text{bstu} \text{pstu}^{1-\text{sigmasu}} \right)^{\frac{1}{1-\text{sigmasu}}};$$

$$\ln[1657]:= \text{Pau} = \left(\text{padu}^{1-\text{sigmaau}} + \text{batu} \text{patu}^{1-\text{sigmaau}} \right)^{\frac{1}{1-\text{sigmaau}}};$$

$$\ln[1658]:= \text{Pbu} = \left(\text{pbdu}^{1-\text{sigmabu}} + \text{bbtu} \text{pbtu}^{1-\text{sigmabu}} \right)^{\frac{1}{1-\text{sigmabu}}};$$

$$\ln[1659]:= \text{Pfu} = \left(\text{pfdu}^{1-\text{sigmafufu}} + \text{bftu} \text{pftu}^{1-\text{sigmafufu}} \right)^{\frac{1}{1-\text{sigmafufu}}};$$

$$\ln[1660]:= \text{Pou} = \left(\text{podu}^{1-\text{sigmaou}} + \text{botu} \text{potu}^{1-\text{sigmaou}} \right)^{\frac{1}{1-\text{sigmaou}}};$$

$$\ln[1661]:= \text{Pnu} = \left(\text{pndu}^{1-\text{sigmanu}} + \text{bntu} \text{pntu}^{1-\text{sigmanu}} \right)^{\frac{1}{1-\text{sigmanu}}};$$

$$\ln[1662]:= P1u = \left(Pyu^{1-\text{betau}} + \text{bsu } Psu^{1-\text{betau}} + \text{bau } Pau^{1-\text{betau}} + \text{bou } Pou^{1-\text{betau}} + \text{bnu } Pnu^{1-\text{betau}} \right)^{\frac{1}{1-\text{betau}}};$$

$$\ln[1663]:= P2u = \left(Pbu^{1-\text{betau}} + \text{bfu } Pfu^{1-\text{betau}} \right)^{\frac{1}{1-\text{betau}}};$$

$$\ln[1664]:= pydp = Pyu \frac{pydp0}{Pyu0};$$

$$\ln[1665]:= psdp = Psu \frac{psdp0}{Psu0};$$

$$\ln[1666]:= padp = Pau \frac{padp0}{Pau0};$$

$$\ln[1667]:= podp = Pou \frac{podp0}{Pou0};$$

$$\ln[1668]:= pbdp = Pbu \frac{pbdp0}{Pbu0};$$

$$\ln[1669]:= pfdp = Pfu \frac{pfdp0}{Pfu0};$$

$$\ln[1670]:= Pyp = \left(pydp^{1-\text{sigmayp}} + \text{bytp } pytp^{1-\text{sigmayp}} \right)^{\frac{1}{1-\text{sigmayp}}};$$

$$\ln[1671]:= Psp = \left(psdp^{1-\text{sigmasp}} + \text{bstp } pstp^{1-\text{sigmasp}} \right)^{\frac{1}{1-\text{sigmasp}}};$$

$$\ln[1672]:= Pap = \left(padp^{1-\text{sigmaap}} + \text{batp } patp^{1-\text{sigmaap}} \right)^{\frac{1}{1-\text{sigmaap}}};$$

$$\ln[1673]:= Pbp = \left(pbdp^{1-\text{sigmabp}} + \text{bbtp } pbtp^{1-\text{sigmabp}} \right)^{\frac{1}{1-\text{sigmabp}}};$$

$$\ln[1674]:= Pfp = \left(pfdp^{1-\text{sigmaf}} + \text{bftp } pftp^{1-\text{sigmaf}} \right)^{\frac{1}{1-\text{sigmaf}}};$$

$$\ln[1675]:= Pop = \left(podp^{1-\text{sigmaop}} + \text{botp } potp^{1-\text{sigmaop}} \right)^{\frac{1}{1-\text{sigmaop}}};$$

$$\ln[1676]:= P1p = \left(Pyp^{1-\text{betap}} + \text{bsp } Psp^{1-\text{betap}} + \text{bap } Pap^{1-\text{betap}} + \text{bop } Pop^{1-\text{betap}} + \text{bnp } pntp^{1-\text{betap}} \right)^{\frac{1}{1-\text{betap}}};$$

$$\ln[1677]:= P2p = \left(Pbp^{1-\text{betap}} + \text{bfp } Pfp^{1-\text{betap}} \right)^{\frac{1}{1-\text{betap}}};$$

Equilibrium equations

Total supply (landings) of wild caught = exports + consumer demand

$$\ln[1678]:= E1 = \text{qydcap} - \text{aydu } pydu^{-\text{eydu}} = \text{qydue0} + \text{ku1 } P1u^{\text{etau}+\text{betau}} Pyu^{\text{sigmayu}-\text{betau}} pydu^{-\text{sigmayu}};$$

$$\ln[1679]:= E2 = \text{qsdcap} - \text{asdu } psdu^{-\text{esdu}} = \text{qsdue0} + \text{ku1 } \text{bsu } P1u^{\text{etau}+\text{betau}} Psu^{\text{sigmasu}-\text{betau}} psdu^{-\text{sigmasu}};$$

$$\ln[1680]:= E3 = \text{qadcap} - \text{aadu } padu^{-\text{eadu}} = \text{qadue0} + \text{ku1 } \text{bau } P1u^{\text{etau}+\text{betau}} Pau^{\text{sigmaau}-\text{betau}} padu^{-\text{sigmaau}};$$

$$\ln[1681]:= E4 = \text{qbdcap} - \text{abdu } pbdu^{-\text{ebdu}} = \text{qbdu0} + \text{ku2 } P2u^{\text{etau}+\text{betau}} Pbu^{\text{sigmabu}-\text{betau}} pbdu^{-\text{sigmabu}};$$

$$\ln[1682]:= E5 = \text{qfdcap} - \text{afdu } pfdu^{-\text{efdu}} = \text{qfdue0} + \text{ku2 } \text{bfu } P2u^{\text{etau}+\text{betau}} Pfu^{\text{sigmafu}-\text{betau}} pfdu^{-\text{sigmafu}};$$

$$\ln[1683]:= E6 = \text{qodcap} - \text{aodu } podu^{-\text{eodu}} = \text{qodue0} + \text{ku1 } \text{bou } P1u^{\text{etau}+\text{betau}} Pou^{\text{sigmaou}-\text{betau}} podu^{-\text{sigmaou}};$$

$$\ln[1684]:= E19 = \text{qndcap} - \text{andu } pndu^{-\text{endu}} = \text{qndue0} + \text{ku1 } \text{bnu } P1u^{\text{etau}+\text{betau}} Pnu^{\text{sigmanu}-\text{betau}} pndu^{-\text{sigmanu}};$$

Supply of imported unprocessed product = Demand for imported unprocessed product

```

In[1685]:= E7 = qylu0 + reply qyiu0 == ku1 bytu P1uetau+betau pyusigmayu-betau pytu-sigmayu;
In[1686]:= E8 = qslu0 + repls qsiu0 == ku1 bstu bsu P1uetau+betau psusigmasu-betau pstu-sigmasu;
In[1687]:= E9 = qalu0 + repla qaiu0 == ku1 batu bau P1uetau+betau pausigmaau-betau patu-sigmaau;
In[1688]:= E10 = qblu0 + replb qbiu0 == ku2 bbtu P2uetau+betau pbusigmabu-betau pbtu-sigmabu;
In[1689]:= E11 = qflu0 + replf qfiu0 == ku2 bftu bfu P2uetau+betau pfusigmafu-betau pftu-sigmafu;
In[1690]:= E12 = qolu0 + replo qoiu0 == ku1 botu bou P1uetau+betau pousigmaou-betau potu-sigmaou;
In[1691]:= E20 = qnlu0 + repln qniu0 == ku1 bntu bnu P1uetau+betau pnusigmanu-betau pntu-sigmanu;
    
```

Supply of imported processed product = Demand for imported processed product

```

In[1692]:= E13 = qylp0 + reply qyip0 == kp1 bytp P1petap+betap pypsigmayp-betau pytp-sigmayp;
In[1693]:= E14 = qslp0 + repls qsip0 == kp1 bstp bsp P1petap+betap pspsigmasp-betau pstp-sigmasp;
In[1694]:= E15 = qalp0 + repla qaip0 == kp1 batp bap P1petap+betap papsigmaap-betau patp-sigmaap;
In[1695]:= E16 = qblp0 + replb qbip0 == kp2 bbtP P2petap+betap pbpsigmabp-betau pbtp-sigmabp;
In[1696]:= E17 = qflp0 + replf qfip0 == kp2 bftp bfp P2petap+betap pfpsigmafp-betau pftp-sigmafp;
In[1697]:= E18 = qolp0 + replo qoip0 == kp1 botp bop P1petap+betap popsigmaop-betau potp-sigmaop;
In[1698]:= E21 = qnlp0 + repln qnip0 == kp1 bnp P1petap+betap pntp-betap;

In[1699]:= FindRoot[{E1, E2, E3, E4, E5, E6, E7, E8, E9, E10, E11, E12, E13, E14, E15,
    E16, E17, E18, E19, E20, E21}, {pydu, pydu0}, {pytu, pytu0}, {psdu, psdu0},
    {pstu, pstu0}, {padu, padu0}, {patu, patu0}, {pbdu, pbdu0}, {pbtu, pbtu0},
    {pytp, pytp0}, {pstp, pstp0}, {patp, patp0}, {pbtp, pbtp0}, {pfdu, pfdu0},
    {pftu, pftu0}, {pftp, pftp0}, {podu, podu0}, {potu, potu0}, {potp, potp0},
    {pndu, pndu0}, {pntu, pntu0}, {pntp, pntp0}, AccuracyGoal -> 7, PrecisionGoal -> 7]

Out[1699]:= {pydu -> 6.16814, pytu -> 6.527, psdu -> 1.528, pstu -> 5.9979, padu -> 3.52998, patu -> 6.33643,
    pbdu -> 9.43743, pbtu -> 8.35397, pytp -> 8.6401, pstp -> 4.95405, patp -> 6.69747,
    pbtp -> 9.89076, pfdu -> 13.1168, pftu -> 27.2299, pftp -> 16.5047, podu -> 2.27305,
    potu -> 6.29823, potp -> 9.04516, pndu -> 0.803673, pntu -> 3.4467, pntp -> 6.28996}
    
```

```

In[1700]:= pydu1 = pydu /. %;
In[1701]:= pytu1 = pytu /. %%;
In[1702]:= pytp1 = pytp /. %%%;
In[1703]:= psdu1 = psdu /. %%%%;
In[1704]:= pstu1 = pstu /. %%%%;
In[1705]:= pstp1 = pstp /. %%%%;
In[1706]:= padu1 = padu /. %%%%;
In[1707]:= patu1 = patu /. %%%%;
    
```

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ln[1708]:= patp1 = patp / . %%%%%%%%%%;
ln[1709]:= pbdu1 = pbdu / . %%%%%%%%%%;
ln[1710]:= pbtu1 = pbtu / . %%%%%%%%%%;
ln[1711]:= pbtp1 = pbtp / . %%%%%%%%%%;
ln[1712]:= pfdu1 = pfdu / . %%%%%%%%%%;
ln[1713]:= pftu1 = pftu / . %%%%%%%%%%;
ln[1714]:= pftp1 = pftp / . %%%%%%%%%%;
ln[1715]:= podu1 = podu / . %%%%%%%%%%;
ln[1716]:= potu1 = potu / . %%%%%%%%%%;
ln[1717]:= potp1 = potp / . %%%%%%%%%%;
ln[1718]:= pndu1 = pndu / . %%%%%%%%%%;
ln[1719]:= pntu1 = pntu / . %%%%%%%%%%;
ln[1720]:= pntp1 = pntp / . %%%%%%%%%%;

ln[1721]:= Pyu1 = (pydu11-sigmayu + bytu pytu11-sigmayu) $\frac{1}{1-sigmayu}$ ;
ln[1722]:= Psu1 = (psdu11-sigmasu + bstu pstu11-sigmasu) $\frac{1}{1-sigmasu}$ ;
ln[1723]:= Pau1 = (padu11-sigmaau + batu patu11-sigmaau) $\frac{1}{1-sigmaau}$ ;
ln[1724]:= Pbu1 = (pbdu11-sigmabu + bbtu pbtu11-sigmabu) $\frac{1}{1-sigmabu}$ ;
ln[1725]:= Pfu1 = (pfdu11-sigmafu + bftu pftu11-sigmafu) $\frac{1}{1-sigmafu}$ ;
ln[1726]:= Pou1 = (podu11-sigmaou + botu potu11-sigmaou) $\frac{1}{1-sigmaou}$ ;
ln[1727]:= Pnu1 = (pndu11-sigmanu + bntu pntu11-sigmanu) $\frac{1}{1-sigmanu}$ ;

ln[1728]:= P1u1 = (Pyu11-betau + bsu Psu11-betau + bau Pau11-betau + bou Pou11-betau + bnu Pnu11-betau) $\frac{1}{1-betau}$ ;
ln[1729]:= P2u1 = (Pbu11-betau + bfu Pfu11-betau) $\frac{1}{1-betau}$ ;
ln[1730]:= Pyp1 = (pydp11-sigmayp + bytp pytp11-sigmayp) $\frac{1}{1-sigmayp}$ ;
ln[1731]:= Psp1 = (psdp11-sigmasp + bstp pstp11-sigmasp) $\frac{1}{1-sigmasp}$ ;
ln[1732]:= Pap1 = (padp11-sigmaap + batp patp11-sigmaap) $\frac{1}{1-sigmaap}$ ;
ln[1733]:= Pbp1 = (pbdp11-sigmabp + bbtv pbtv11-sigmabp) $\frac{1}{1-sigmabp}$ ;
ln[1734]:= Pfp1 = (pfdp11-sigmafp + bftp pftp11-sigmafp) $\frac{1}{1-sigmafp}$ ;

```

ln[1735]:= **Pop1** = $\left(\text{podp1}^{1-\text{sigmaop}} + \text{botp potp1}^{1-\text{sigmaop}} \right)^{\frac{1}{1-\text{sigmaop}}}$;

ln[1736]:= **P1p1** = $\left(\text{Pyp1}^{1-\text{betap}} + \text{bsp Psp1}^{1-\text{betap}} + \text{bap Pap1}^{1-\text{betap}} + \text{bop Pop1}^{1-\text{betap}} + \text{bnp pntp1}^{1-\text{betap}} \right)^{\frac{1}{1-\text{betap}}}$;

ln[1737]:= **P2p1** = $\left(\text{Pbp1}^{1-\text{betap}} + \text{bfp Pfp1}^{1-\text{betap}} \right)^{\frac{1}{1-\text{betap}}}$;

ln[1738]:= **pydp1** = $\text{Pyu1} \frac{\text{pydp0}}{\text{Pyu0}}$;

ln[1739]:= **psdp1** = $\text{Psu1} \frac{\text{psdp0}}{\text{Psu0}}$;

ln[1740]:= **padp1** = $\text{Pau1} \frac{\text{padp0}}{\text{Pau0}}$;

ln[1741]:= **podp1** = $\text{Pou1} \frac{\text{podp0}}{\text{Pou0}}$;

ln[1742]:= **pbdp1** = $\text{Pbu1} \frac{\text{pbdp0}}{\text{Pbu0}}$;

ln[1743]:= **pfdp1** = $\text{Pfu1} \frac{\text{pfdp0}}{\text{Pfu0}}$;

ln[1744]:= **qydu1** = $\text{qydcap} - \text{aydu pydu1}^{-\text{eydu}}$;

ln[1745]:= **qytu1** = $\text{qylu0} + \text{reply qyiu0}$;

ln[1746]:= **qytp1** = $\text{qylp0} + \text{reply qyip0}$;

ln[1747]:= **qydp1** = $\text{qydpe0} + \text{kp1 P1p1}^{\text{etap}+\text{betap}} \text{Pyp1}^{\text{sigmayp}-\text{betap}} \text{pydp1}^{-\text{sigmayp}}$;

ln[1748]:= **qsdu1** = $\text{qsdcap} - \text{asdu psdu1}^{-\text{esdu}}$;

ln[1749]:= **qstu1** = $\text{qslu0} + \text{repls qsiu0}$;

ln[1750]:= **qstp1** = $\text{qslp0} + \text{repls qsip0}$;

ln[1751]:= **qsdp1** = $\text{qsdp0} + \text{kp1 bsp P1p1}^{\text{etap}+\text{betap}} \text{Psp1}^{\text{sigmasp}-\text{betap}} \text{psdp1}^{-\text{sigmasp}}$;

ln[1752]:= **qadu1** = $\text{qadcap} - \text{aadu padu1}^{-\text{eadu}}$;

ln[1753]:= **qatu1** = $\text{qalu0} + \text{repla qaiu0}$;

ln[1754]:= **qatp1** = $\text{qalp0} + \text{repla qaip0}$;

ln[1755]:= **qadp1** = $\text{qadpe0} + \text{kp1 bap P1p1}^{\text{etap}+\text{betap}} \text{Pap1}^{\text{sigmaap}-\text{betap}} \text{padp1}^{-\text{sigmaap}}$;

ln[1756]:= **qbdu1** = $\text{qbdcap} - \text{abdu pbdu1}^{-\text{ebdu}}$;

ln[1757]:= **qbtu1** = $\text{qblu0} + \text{replb qbiu0}$;

ln[1758]:= **qbtp1** = $\text{qblp0} + \text{replb qbip0}$;

ln[1759]:= **qbdp1** = $\text{qbdpe0} + \text{kp2 P2p1}^{\text{etap}+\text{betap}} \text{Pbp1}^{\text{sigmabp}-\text{betap}} \text{pbdp1}^{-\text{sigmabp}}$;

ln[1760]:= **qfdu1** = $\text{qfdcap} - \text{afdu pfdu1}^{-\text{efdu}}$;

ln[1761]:= **qftu1** = $\text{qflu0} + \text{replf qfiu0}$;

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In[1762]:= qftp1 = qflp0 + replf qfip0;

In[1763]:= qfdp1 = qfdpe0 + kp2 bfp P2p1etap+betap pfp1sigmafp-betap pfdp1-sigmafp;

In[1764]:= qodu1 = qodcap - aodu podu1-eodu;

In[1765]:= qotu1 = qolu0 + replo qoiu0;

In[1766]:= qotp1 = qolp0 + replo qoip0;

In[1767]:= qodp1 = qodpe0 + kp1 bop P1p1etap+betap pop1sigmaop-betap podp1-sigmaop;

In[1768]:= qndu1 = qndcap - andu pndu1-endu;

In[1769]:= qntu1 = qnlu0 + repln qniu0;

In[1770]:= qntp1 = qnlp0 + repln qnip0;

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5. Results

Albacore Tuna

Percent change in price of unprocessed domestic production

$$\text{In[1771]}:= \frac{(\text{padu1} - \text{padu0})}{\text{padu0}} 100$$

Out[1771]= 0.155467

Percent change in quantity of landings

$$\text{In[1772]}:= \frac{(\text{qadu1} - \text{qadu0})}{\text{qadu0}} 100$$

Out[1772]= 0.776665

Percent change in price of processed domestic production

$$\text{In[1773]}:= \frac{(\text{padp1} - \text{padp0})}{\text{padp0}} 100$$

Out[1773]= 5.69512

Percent change in quantity of processed domestic product

$$\text{In[1774]}:= \frac{(\text{qadp1} - \text{qadp0})}{\text{qadp0}} 100$$

Out[1774]= -5.30126

Change (\$) in operating income, unprocessed product

$$\text{In}[1775]:= (1 / \text{sigmaau}) (\text{padu1} (\text{qadu1} - \text{qadue0}) - \text{padu0} (\text{qadu0} - \text{qadue0}))$$

Out[1775]= 121,133.

Change (\$) in operating income, processed product

$$\text{In}[1776]:= (1 / \text{sigmaap}) (\text{padp1} (\text{qadp1} - \text{qadpe0}) - \text{padp0} (\text{qadp0} - \text{qadpe0}))$$

Out[1776]= 187,232.

Percent change in price of unprocessed imports

$$\text{In}[1777]:= \frac{(\text{patu1} - \text{patu0}) 100}{\text{patu0}}$$

Out[1777]= 6.23098

Percent change in quantity of unprocessed imports

$$\text{In}[1778]:= \frac{(\text{qatu1} - \text{qatu0}) 100}{\text{qatu0}}$$

Out[1778]= -7.61977

Percent change in price of processed imports

$$\text{In}[1779]:= \frac{(\text{patp1} - \text{patp0}) 100}{\text{patp0}}$$

Out[1779]= 6.71746

Percent change in quantity of processed imports

$$\text{In}[1780]:= \frac{(\text{qatp1} - \text{qatp0}) 100}{\text{qatp0}}$$

Out[1780]= -7.11248

Bigeye Tuna

Percent change in price of unprocessed domestic production

$$\text{In}[1781]:= \frac{(\text{pbdu1} - \text{pbdu0}) 100}{\text{pbdu0}}$$

Out[1781]= 4.80216

Percent change in quantity of landings

$$\text{In[1782]:= } \frac{(\text{qbdu1} - \text{qbdu0})}{\text{qbdu0}} 100$$

Out[1782]= 8.42147

Percent change in price of processed domestic production

$$\text{In[1783]:= } \frac{(\text{pbdp1} - \text{pbdp0})}{\text{pbdp0}} 100$$

Out[1783]= 8.18543

Percent change in quantity of processed domestic product

$$\text{In[1784]:= } \frac{(\text{qbdp1} - \text{qbdp0})}{\text{qbdp0}} 100$$

Out[1784]= 1.0226

Change (\$) in operating income, unprocessed product

$$\text{In[1785]:= } (1 / \text{sigmabu}) (\text{pbdu1} (\text{qbdu1} - \text{qbdu0}) - \text{pbdu0} (\text{qbdu0} - \text{qbdu0}))$$

Out[1785]= 3.93111×10^6

Change (\$) in operating income, processed product

$$\text{In[1786]:= } (1 / \text{sigmabp}) (\text{pbdp1} (\text{qbdp1} - \text{qbdp0}) - \text{pbdp0} (\text{qbdp0} - \text{qbdp0}))$$

Out[1786]= 1.41965×10^6

Percent change in price of unprocessed imports

$$\text{In[1787]:= } \frac{(\text{pbtu1} - \text{pbtu0})}{\text{pbtu0}} 100$$

Out[1787]= 13.0962

Percent change in quantity of unprocessed imports

$$\text{In[1788]:= } \frac{(\text{qbtu1} - \text{qbtu0})}{\text{qbtu0}} 100$$

Out[1788]= -10.7883

Percent change in price of processed imports

$$\text{In[1789]} := \frac{(\text{pbtp1} - \text{pbtp0})}{\text{pbtp0}} 100$$

Out[1789]= 14.1016

Percent change in quantity of processed imports

$$\text{In[1790]} := \frac{(\text{qbtp1} - \text{qbtp0})}{\text{qbtp0}} 100$$

Out[1790]= -11.948

Bluefin Tuna

Percent change in price of unprocessed domestic production

$$\text{In[1791]} := \frac{(\text{pfdu1} - \text{pfdu0})}{\text{pfdu0}} 100$$

Out[1791]= 10.1499

Percent change in quantity of landings

$$\text{In[1792]} := \frac{(\text{qfdu1} - \text{qfdu0})}{\text{qfdu0}} 100$$

Out[1792]= 17.5124

Percent change in price of processed domestic production

$$\text{In[1793]} := \frac{(\text{pfdp1} - \text{pfdp0})}{\text{pfdp0}} 100$$

Out[1793]= 25.499

Percent change in quantity of processed domestic product

$$\text{In[1794]} := \frac{(\text{qfdp1} - \text{qfdp0})}{\text{qfdp0}} 100$$

Out[1794]= -35.0237

Change (\$) in operating income, unprocessed product

$$\text{In[1795]} := (1 / \text{sigmafu}) (\text{pfdu1} (\text{qfdu1} - \text{qfdu0}) - \text{pfdu0} (\text{qfdu0} - \text{qfdu0}))$$

Out[1795]= 445,928.

Change (\$) in operating income, processed product

$$\text{In[1796]} := (1 / \text{sigmafp}) (pfdp1 (qfdp1 - qfdpe0) - pfdp0 (qfdp0 - qfdpe0))$$

Out[1796]= - 631,283.

Percent change in price of unprocessed imports

$$\text{In[1797]} := \frac{(pftu1 - pftu0) 100}{pftu0}$$

Out[1797]= 27.9127

Percent change in quantity of unprocessed imports

$$\text{In[1798]} := \frac{(qftu1 - qftu0) 100}{qftu0}$$

Out[1798]= - 42.8836

Percent change in price of processed imports

$$\text{In[1799]} := \frac{(pftp1 - pftp0) 100}{pftp0}$$

Out[1799]= 22.1757

Percent change in quantity of processed imports

$$\text{In[1800]} := \frac{(qftp1 - qftp0) 100}{qftp0}$$

Out[1800]= - 23.581

Skipjack Tuna

Percent change in price of unprocessed domestic production

$$\text{In[1801]} := \frac{(psdu1 - psdu0) 100}{psdu0}$$

Out[1801]= 2.11877

Percent change in quantity of landings

$$\text{In[1802]} := \frac{(qsdu1 - qsdu0) 100}{qsdu0}$$

Out[1802]= 10.4812

Percent change in price of processed domestic production

$$\text{In[1803]} := \frac{(\text{psdp1} - \text{psdp0}) 100}{\text{psdp0}}$$

Out[1803]= 4.84059

Percent change in quantity of processed domestic product

$$\text{In[1804]} := \frac{(\text{qsdp1} - \text{qsdp0}) 100}{\text{qsdp0}}$$

Out[1804]= -1.03135

Change (\$) in operating income, unprocessed product

$$\text{In[1805]} := (1 / \text{sigmasu}) (\text{psdu1} (\text{qsdu1} - \text{qsdue0}) - \text{psdu0} (\text{qsdu0} - \text{qsdue0}))$$

Out[1805]= 30,382.3

Change (\$) in operating income, processed product

$$\text{In[1806]} := (1 / \text{sigmasp}) (\text{psdp1} (\text{qsdp1} - \text{qsdp0}) - \text{psdp0} (\text{qsdp0} - \text{qsdp0}))$$

Out[1806]= 1.4098×10^6

Percent change in price of unprocessed imports

$$\text{In[1807]} := \frac{(\text{pstu1} - \text{pstu0}) 100}{\text{pstu0}}$$

Out[1807]= 4.86212

Percent change in quantity of unprocessed imports

$$\text{In[1808]} := \frac{(\text{qstu1} - \text{qstu0}) 100}{\text{qstu0}}$$

Out[1808]= -4.54299

Percent change in price of processed imports

$$\text{In[1809]} := \frac{(\text{pstp1} - \text{pstp0}) 100}{\text{pstp0}}$$

Out[1809]= 5.37672

Percent change in quantity of processed imports

$$\text{In[1810]:= } \frac{(qstp1 - qstp0) 100}{qstp0}$$

Out[1810]= - 5.20652

Yellowfin Tuna

Percent change in price of unprocessed domestic production

$$\text{In[1811]:= } \frac{(pydu1 - pydu0) 100}{pydu0}$$

Out[1811]= 0.982994

Percent change in quantity of landings

$$\text{In[1812]:= } \frac{(qydu1 - qydu0) 100}{qydu0}$$

Out[1812]= 4.8892

Percent change in price of processed domestic production

$$\text{In[1813]:= } \frac{(pydp1 - pydp0) 100}{pydp0}$$

Out[1813]= 4.55994

Percent change in quantity of processed domestic product

$$\text{In[1814]:= } \frac{(qydp1 - qydp0) 100}{qydp0}$$

Out[1814]= - 2.11019

Change (\$) in operating income, unprocessed product

$$\text{In[1815]:= } (1 / \text{sigmayu}) (pydu1 (qydu1 - qydue0) - pydu0 (qydu0 - qydue0))$$

Out[1815]= 704,277.

Change (\$) in operating income, processed product

$$\text{In[1816]:= } (1 / \text{sigmayp}) (pydp1 (qydp1 - qydp0) - pydp0 (qydp0 - qydp0))$$

Out[1816]= 856,432.

Percent change in price of unprocessed imports

$$\text{In[1817]:= } \frac{(\text{pytu1} - \text{pytu0})}{\text{pytu0}} 100$$

Out[1817]= 6.89108

Percent change in quantity of unprocessed imports

$$\text{In[1818]:= } \frac{(\text{qytu1} - \text{qytu0})}{\text{qytu0}} 100$$

Out[1818]= -9.52573

Percent change in price of processed imports

$$\text{In[1819]:= } \frac{(\text{pytp1} - \text{pytp0})}{\text{pytp0}} 100$$

Out[1819]= 7.39606

Percent change in quantity of processed imports

$$\text{In[1820]:= } \frac{(\text{qytp1} - \text{qytp0})}{\text{qytp0}} 100$$

Out[1820]= -9.35907

Other Tuna

Percent change in price of unprocessed domestic production

$$\text{In[1821]:= } \frac{(\text{podu1} - \text{podu0})}{\text{podu0}} 100$$

Out[1821]= 0.514952

Percent change in quantity of landings

$$\text{In[1822]:= } \frac{(\text{qodu1} - \text{qodu0})}{\text{qodu0}} 100$$

Out[1822]= 2.56813

Percent change in price of processed domestic production

$$\text{In[1823]:= } \frac{(\text{podp1} - \text{podp0})}{\text{podp0}} 100$$

Out[1823]= 6.37202

Percent change in quantity of processed domestic product

$$\text{In[1824]:= } \frac{(\text{qodp1} - \text{qodp0}) 100}{\text{qodp0}}$$

Out[1824]= - 11.3423

Change (\$) in operating income, unprocessed product

$$\text{In[1825]:= } (1 / \text{sigmaou}) (\text{podu1} (\text{qodu1} - \text{qodue0}) - \text{podu0} (\text{qodu0} - \text{qodue0}))$$

Out[1825]= 8962.04

Change (\$) in operating income, processed product

$$\text{In[1826]:= } (1 / \text{sigmaop}) (\text{podp1} (\text{qodp1} - \text{qodpe0}) - \text{podp0} (\text{qodp0} - \text{qodpe0}))$$

Out[1826]= - 35.5733

Percent change in price of unprocessed imports

$$\text{In[1827]:= } \frac{(\text{potu1} - \text{potu0}) 100}{\text{potu0}}$$

Out[1827]= 8.82647

Percent change in quantity of unprocessed imports

$$\text{In[1828]:= } \frac{(\text{qotu1} - \text{qotu0}) 100}{\text{qotu0}}$$

Out[1828]= - 12.5434

Percent change in price of processed imports

$$\text{In[1829]:= } \frac{(\text{potp1} - \text{potp0}) 100}{\text{potp0}}$$

Out[1829]= 11.8828

Percent change in quantity of processed imports

$$\text{In[1830]:= } \frac{(\text{qotp1} - \text{qotp0}) 100}{\text{qotp0}}$$

Out[1830]= - 19.8857

Bonito

Percent change in price of unprocessed domestic production

$$\text{In[1831]} := \frac{(\text{pndu1} - \text{pndu0})}{\text{pndu0}} 100$$

Out[1831]= 1.88554

Percent change in quantity of landings

$$\text{In[1832]} := \frac{(\text{qndu1} - \text{qndu0})}{\text{qndu0}} 100$$

Out[1832]= 9.33917

Change (\$) in operating income, unprocessed product

$$\text{In[1833]} := (1 / \text{sigmanu}) (\text{pndu1} (\text{qndu1} - \text{qndue0}) - \text{pndu0} (\text{qndu0} - \text{qndue0}))$$

Out[1833]= 7407.

Percent change in price of unprocessed imports

$$\text{In[1834]} := \frac{(\text{pntu1} - \text{pntu0})}{\text{pntu0}} 100$$

Out[1834]= 5.32964

Percent change in quantity of unprocessed imports

$$\text{In[1835]} := \frac{(\text{qntu1} - \text{qntu0})}{\text{qntu0}} 100$$

Out[1835]= -17.4398

Percent change in price of processed imports

$$\text{In[1836]} := \frac{(\text{pntp1} - \text{pntp0})}{\text{pntp0}} 100$$

Out[1836]= 10.7017

Percent change in quantity of processed imports

$$\text{In[1837]} := \frac{(\text{qntp1} - \text{qntp0})}{\text{qntp0}} 100$$

Out[1837]= -17.2947

Price index

Unprocessed products - yellowfin, skipjack, albacore, bonito, NEI nest

$$\text{In[1838]:= } \frac{100 (P1u1 - P1u0)}{P1u0}$$

Out[1838]= 4.97235

Unprocessed products - bigeye, bluefin nest

$$\text{In[1839]:= } \frac{100 (P2u1 - P2u0)}{P2u0}$$

Out[1839]= 12.5495

Canning price index

$$\text{In[1840]:= } \frac{100 (P1p1 - P1p0)}{P1p0}$$

Out[1840]= 5.92489

Bigeye-bluefin processed products price index

$$\text{In[1841]:= } \frac{100 (P2p1 - P2p0)}{P2p0}$$

Out[1841]= 13.9007